



# Maths Workshop

## Wednesday 20<sup>th</sup> October 2016

Parent Workshop



# Aims of this session:

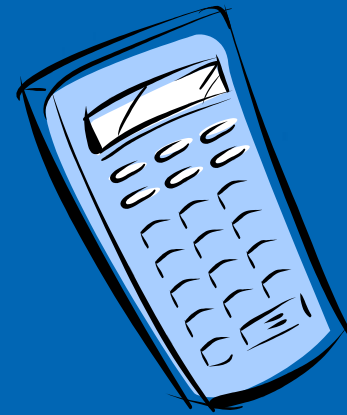
- To provide parents with a clear understanding of how we teach Maths in our school.
- To raise standards in Maths by working closely with parents
- To provide parents with materials that they can use at home to support children's Maths development.
- To look at the 4 operations in Maths

# Weekly Structure

- ✦ Monday- Friday- 5 lessons based on the topic that week
- ✦ This includes a Mental Maths Starter and the main lesson

# Good practice in Maths today!

- ❖ Efficiency
- ❖ Accuracy
- ❖ Flexibility
- ❖ Fluency



**Efficiency** - An efficient strategy is one that the pupil can carry out easily, keeping track of sub-problems and making use of intermediate results to solve the problem

**Accuracy** - depends on several aspects of the problem-solving process, among them careful recording, knowledge of number facts and other important number relationships, and double-checking results.

**Flexibility** - requires the knowledge of more than one approach to solving a particular kind of problem, such as two-digit multiplication. Children need to be flexible in order to choose an appropriate strategy for the numbers involved, and also be able to use one method to solve a problem and another method to check the results.

## Why do children need to be fluent?

Fluency is more demanding on children than memorising a single procedure. They need to understand **why** they are doing **what** they are doing and know when it is appropriate to use different methods.

The phrase 'number sense' is often used to mean conceptual fluency – understanding place value and the relationships between operations. Children need to be both procedurally and conceptually fluent – they need to know both **how** and **why**. Children who engage in a lot of practice without understanding what they are doing often forget, or remember incorrectly, those procedures.

# Good practice in Maths today!

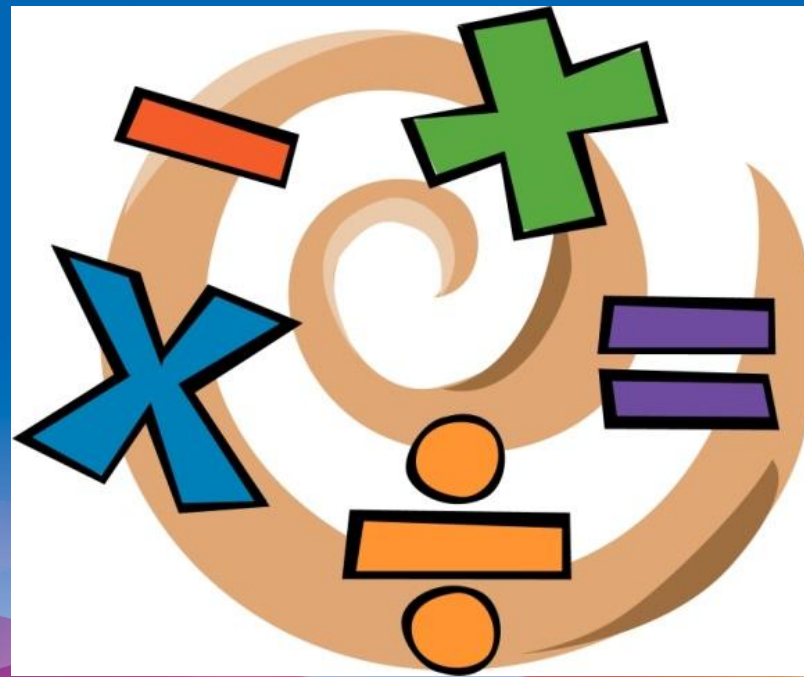
- ✦ All children need to learn maths in a **real life context**.  
As well as knowing  $7 \times 7 = 49$ .

Children need to be able to do the following:

There are 7 fields, each field has 7 sheep in them. How many sheep are there in total?

- ✦ Children need to be able to **explain** how they have calculated something using a method that suits them. If they can't explain it, they don't fully understand it.
- ✦ **Written calculations**, are taught but when children are ready.

# The Four Number Operations





# Addition



Partition into tens and ones

Partition both numbers and recombine.

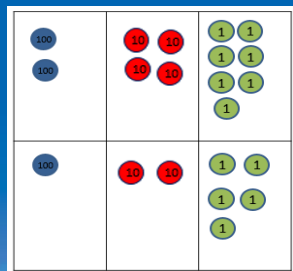
Count on by partitioning the second number only e.g.

$$\begin{aligned}
 247 + 125 &= 247 + 100 + 20 + 5 \\
 &= 347 + 20 + 5 \\
 &= 367 + 5 \\
 &= 372
 \end{aligned}$$

Children need to be secure adding multiples of 100 and 10 to any three-digit number including those that are not multiples of 10.

Towards a Written Method

Introduce expanded column addition modelled with place value counters (Dienes could be used for those who need a less abstract representation)



$$\begin{aligned}
 &200 + 40 + 7 \\
 &100 + 20 + 5 \\
 \hline
 &300 + 60 + 12 = 372
 \end{aligned}$$

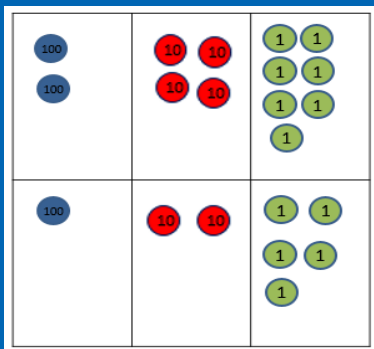
$$\begin{array}{r}
 247 \\
 +125 \\
 \hline
 60 \\
 300 \\
 \hline
 372
 \end{array}$$

$$\begin{array}{r}
 247 \\
 +125 \\
 \hline
 372 \\
 \hline
 10
 \end{array}$$

## Written methods (progressing to 4-digits)

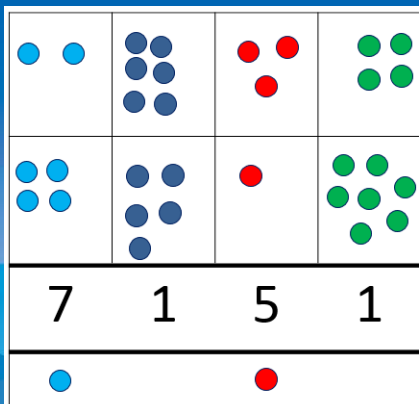
**Year 4**

Expanded column addition modelled with place value counters, progressing to calculations with 4-digit numbers.



$$\begin{array}{r}
 200 + 40 + 7 \\
 100 + 20 + 5 \\
 \hline
 300 + 60 + 12 = 372
 \end{array}$$

$$\begin{array}{r}
 247 \\
 +125 \\
 \hline
 12 \\
 60 \\
 300 \\
 \hline
 372
 \end{array}$$



$$\begin{array}{r}
 2634 \\
 +4517 \\
 \hline
 7151 \\
 \hline
 1 \quad 1
 \end{array}$$

Children should be able to make the choice of reverting to expanded methods if experiencing any difficulty.

## Year 5

### Written methods (progressing to more than 4-digits)

As year 4, progressing when understanding of the expanded method is secure, children will move on to the formal columnar method for whole numbers and decimal numbers as an efficient written algorithm.

$$\begin{array}{r} 172.83 \\ + \underline{54.68} \\ \hline 227.51 \\ \hline 1 \quad 1 \quad 1 \end{array}$$

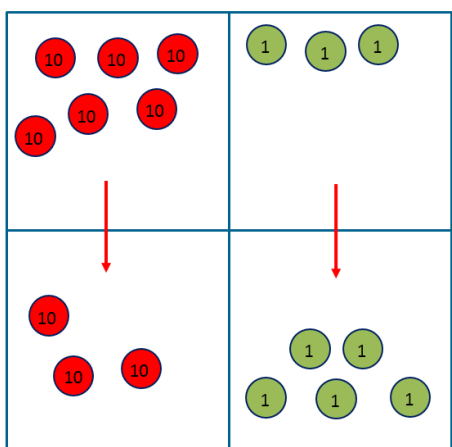
# Subtraction

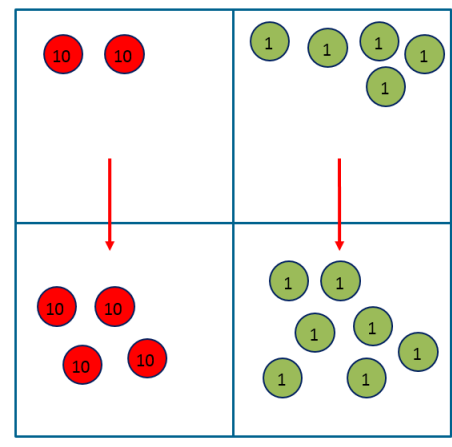


# Written methods (progressing to 3-digits)

## Year 3

Introduce expanded column subtraction with no decomposition, modelled with place value counters (Dienes could be used for those who need a less abstract representation)

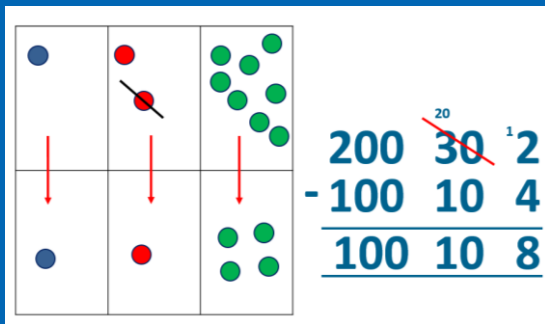
	$  \begin{array}{r}  90\ 8 \\  - 30\ 5 \\  \hline  60\ 3  \end{array}  $
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	$  \begin{array}{r}  \overset{60}{\cancel{70}}\ \overset{1}{2} \\  - 40\ 7 \\  \hline  20\ 5  \end{array}  $
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## Written methods (progressing to 4-digits)

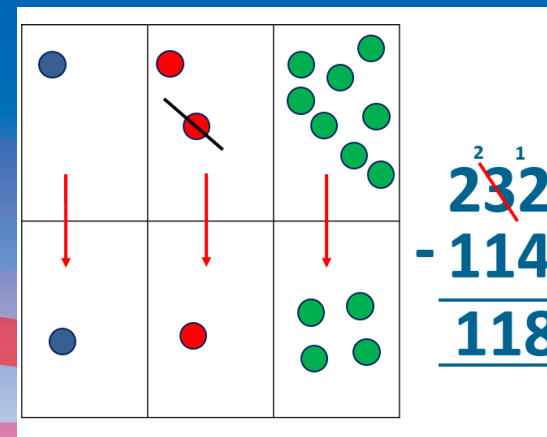
Year 4

Expanded column subtraction with decomposition, modelled with place value counters, progressing to calculations with 4-digit numbers.



A place value chart with three columns: Hundreds, Tens, and Ones. The top row shows 2 blue counters in the Hundreds column, 0 red counters in the Tens column, and 0 green counters in the Ones column. The bottom row shows 1 blue counter in the Hundreds column, 0 red counters in the Tens column, and 0 green counters in the Ones column. Red arrows point from the top row to the bottom row. To the right is the calculation: 
$$\begin{array}{r} 200 \\ - 100 \\ \hline 100 \end{array}$$

If understanding of the expanded method is secure, children will move on to the formal method of decomposition, which again can be initially modelled with place value counters.

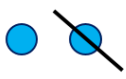









A place value chart with three columns: Hundreds, Tens, and Ones. The top row shows 2 blue counters in the Hundreds column, 3 red counters in the Tens column, and 2 green counters in the Ones column. The bottom row shows 1 blue counter in the Hundreds column, 1 red counter in the Tens column, and 8 green counters in the Ones column. Red arrows point from the top row to the bottom row. To the right is the calculation: 
$$\begin{array}{r} 232 \\ - 114 \\ \hline 118 \end{array}$$

## Written methods (progressing to more than 4-digits)

**Year 5**

When understanding of the expanded method is secure, children will move on to the formal method of decomposition, which can be initially modelled with place value counters.

			
	↓	↓	↓
			

	<sup>5</sup>	<sup>1</sup>	<sup>2</sup>	<sup>1</sup>
	<del>6</del>	<del>2</del>	<del>3</del>	<del>2</del>
-	4	8	1	4
	1	4	1	8

Progress to calculating with decimals, including those with different numbers of decimal places.



# Multiplication



## Written methods (progressing to 2d x 1d)

**Year 3**

Developing written methods using understanding of the grid method

$65 \times 6$		
$\times$	60	5
6		

Begin to use vertical written algorithm (ladder) to multiply 3-digit numbers by 1-digit numbers.

e.g.  $253 \times 6$

$$\begin{array}{r}
 253 \\
 \times 6 \\
 \hline
 1200 \text{ -----} 6 \times 200 \\
 300 \text{ -----} 6 \times 50 \\
 + 18 \text{ -----} 6 \times 3 \\
 \hline
 1518
 \end{array}$$

## Written methods (progressing to 3d x 2d)

**Year 4**

Children to embed and deepen their understanding of the grid method to multiply up 2d x 2d.

	<b>70</b>	<b>8</b>
<b>20</b>	<b>1400</b>	<b>160</b>
<b>5</b>	<b>350</b>	<b>40</b>

Continue to use vertical written algorithm (ladder)

$$\begin{array}{r}
 253 \\
 \times 6 \\
 \hline
 1200 \text{ -----} 6 \times 200 \\
 300 \text{ -----} 6 \times 50 \\
 + 18 \text{ -----} 6 \times 3 \\
 \hline
 1518
 \end{array}$$

## Written methods (progressing to 4d x 2d)

Year 5

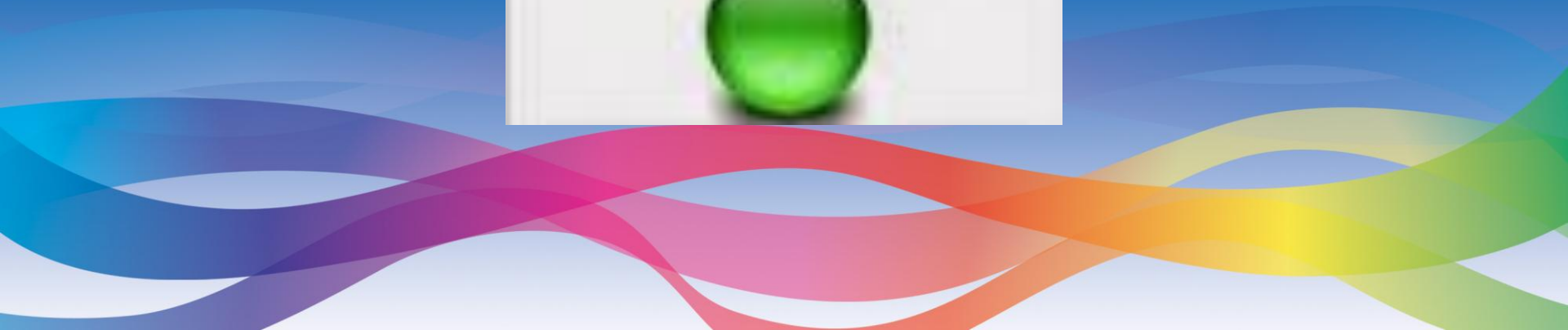
Long multiplication using place value counters

Children to explore how the grid method supports an understanding of long multiplication (for 2d x 2d)

	10	8
10	100	80
3	30	24

		1	8			
	×	1	3			
		1	8	0		
			5	4		
		2	3	4		

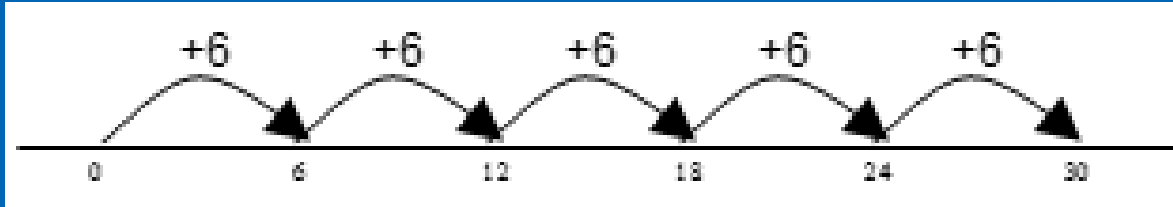
# Division



Grouping

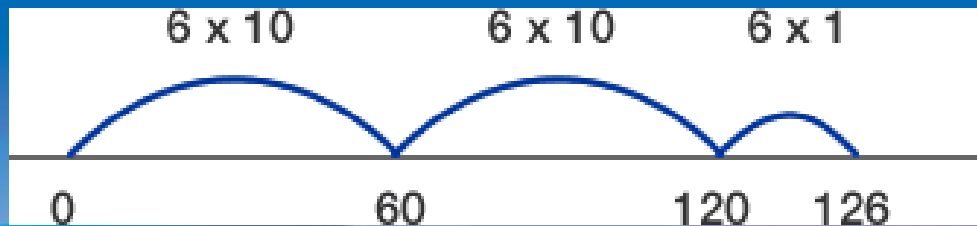
How many 6's are in 30?

$30 \div 6$  can be modelled as:



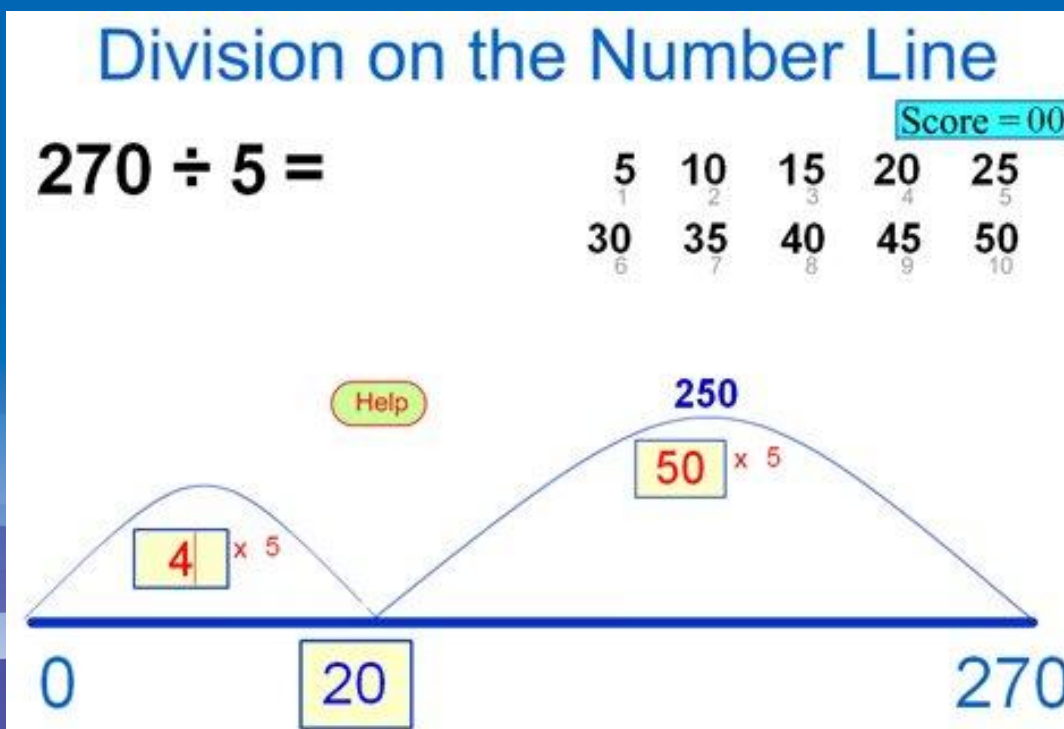
Becoming more efficient using a numberline

Children need to be able to partition the dividend in different ways.  $126 \div 6 = 21$



## Sharing, Grouping and using a number line

Children will continue to explore division as sharing and grouping, and to represent calculations on a number line until they have a secure understanding. Children should progress in their use of written division calculations:

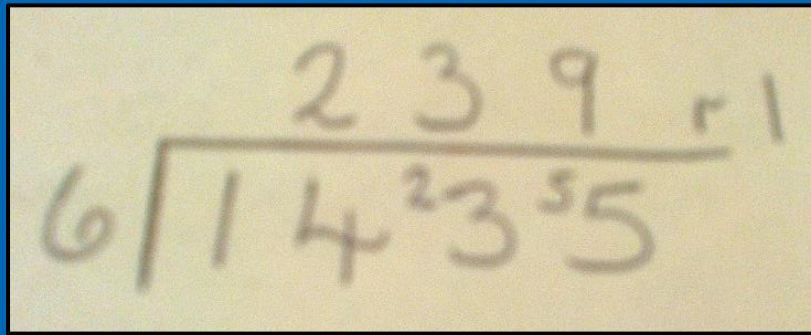


## Year 5

### Formal Written Methods

Continued as shown in Year 4, leading to the efficient use of a formal method. The language of grouping to be used.

E.g.  $1435 \div 6$



A photograph of a piece of paper showing a handwritten long division problem. The divisor is 6, and the dividend is 1435. The quotient is written as 239 with a remainder of 1. The numbers are written in a cursive style. The division is set up as follows: a horizontal line is drawn above the dividend, and a vertical line is drawn to the left of the dividend, forming a box. The divisor 6 is written to the left of the vertical line. The quotient 239 is written above the horizontal line, and the remainder 1 is written to the right of the dividend. The dividend 1435 is written below the horizontal line.

$$\begin{array}{r} 239 \text{ r } 1 \\ 6 \overline{) 1435} \end{array}$$

Children begin to practically develop their understanding of how express the remainder as a decimal or a fraction. Ensure practical understanding allows children to work through this (e.g. what could I do with this remaining 1? How could I share this between 6 as well?)



# Questions

